

X H.W-8 (MCQs)

- 1) If α and β are the zeroes of the polynomial $ax^2 - 5x + c$ and $\alpha + \beta = \alpha\beta = 10$, then (a) $a=5, c=1/2$ (b) $a=1, c=5/2$ (c) $a=5/2, c=1$ (d) $a=1/2, c=5$
- 2) If the zeroes of $p(x) = x^2 + (a+1)x + b$ are 2 and -3, then (a) $a=-7, b=-1$ (b) $a=5, b=-1$ (c) $a=2, b=-6$ (d) $a=0, b=-6$
- 3) What should be subtracted to the polynomial $x^2 - 16x + 30$, so that 15 is the zero of the resulting polynomial? (a) 30 (b) 14 (c) 15 (d) 16
- 4) If α and β are the zeroes of $p(x) = x^2 - 6x + k$ and $3\alpha + 2\beta = 20$, then $k =$ (a) -8 (b) 16 (c) -16 (d) 8
- 5) If α, β are zeroes of $f(x) = x^2 - p(x+1) - c$, then $(\alpha+1)(\beta+1) =$ (a) $c-1$ (b) $1-c$ (c) c (d) $1+c$
- 6) The zeroes of $x^2 + 99x + 127$ are (a) both +ve (b) both -ve (c) both equal (d) one +ve and one -ve
- 7) The no. of polynomials have zeroes -2 and 5 is (a) 1 (b) 2 (c) 3 (d) more than 3
- 8) If one zero of $x^2 + ax + b$ is negative of the other, then it (a) has no linear term and constant term is -ve (b) has no linear term and constant term is +ve
- 9) If 3 is the least prime factor of m and 5 is the least prime factor of n , then the least prime factor of $m+n$ is (a) 11 (b) 2 (c) 3 (d) 5
- 10) HCF of two consecutive +ve integers is (a) 0 (b) 1 (c) 4 (d) 2
- 11) The smallest no. divisible by all no.s between 1 and 10 (both inclusive) is (a) 2020 (b) 2520 (c) 1010 (d) 5040
- 12) $\text{LCM}(p, q) =$ — if p and q are two prime no.s (a) 1 (b) p (c) q (d) pq
- 13) $\text{HCF}(p, q) =$ — (a) 2 (b) 0 (c) either 1 or 2 (d) 1
- 14) The system of equations $x=0, y=3$ has (a) a unique solution (b) no solution (c) two solutions (d) many
- 15) The pair of linear eq's $y=0$ and $y=-5$ has (a) one solution (b) two solutions (c) infinite (d) no solution.
- 16) If $am \neq bl$, then $ax+by=c$ and $lx+my=n$ (a) has unique solution (b) no solution (c) may or may not have a solution.

No.

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17) The area of Δ formed by $x=3$, $x=y$ and $y=4$ is

(a) $\frac{1}{2}$ sq. unit (b) 1 sq. unit (c) 2 sq. unit (d) none

18) The no. of solutions of $3^{x+y} = 243$; $243^{x-y} = 3$ is

(a) 0 (b) 1 (c) 2 (d) infinite

19) $m = pq^3$, $n = p^3q^2$, their HCF(m, n) =

(a) pq (b) pq^2 (c) p^3q^3 (d) p^2q^3

20) If the sum of two no.s is 1215 and HCF is 81, then the possible no. of pairs of such number is

(a) 2 (b) 3 (c) 4 (d) 5

Σ H.W-8 (MCQ - answers)

$$1) \alpha + \beta = -\frac{B}{A} = \frac{5}{a}$$

$$\alpha\beta = \frac{C}{A} = \frac{c}{a}$$

$$\alpha + \beta = 10 \Rightarrow \frac{5}{a} = 10$$

$$\Rightarrow a = \frac{5}{10} = \frac{1}{2}$$

$$\alpha\beta = 10$$

$$\Rightarrow \frac{c}{a} = 10$$

$$\Rightarrow c = 10 \times a = 10 \times \frac{1}{2} = 5$$

$$\therefore a = \frac{1}{2}, c = 5 \text{ (d)}$$

$$2) A = 1, B = a+1, C = b$$

$$\alpha + \beta = -\frac{B}{A} = -(a+1)$$

$$\Rightarrow 2 - 3 = -(a+1)$$

$$\Rightarrow +1 = + (a+1)$$

$$\therefore a = 0$$

$$\alpha\beta = \frac{C}{A} = b$$

$$\Rightarrow 2 \times -3 = b$$

$$\therefore b = -6$$

$$a = 0, b = -6 \text{ (d)}$$

$$3) x^2 - 16x + 30 - k = 0$$

$$\Rightarrow (15)^2 - 16(15) + 30 - k = 0$$

$$\Rightarrow 225 - 240 + 30 - k = 0$$

$$15 - k = 0$$

$$k = 15 \text{ (c)}$$

$$4) a = 1, b = -6, c = k$$

$$\alpha + \beta = -\frac{b}{a} = 6 \rightarrow (1)$$

$$\alpha\beta = \frac{c}{a} = k \rightarrow (2)$$

$$3\alpha + 2\beta = 20$$

$$\Rightarrow \alpha + 2\alpha + 2\beta = 20$$

$$\Rightarrow \alpha + 2(\alpha + \beta) = 20$$

$$\Rightarrow \alpha + 2 \times 6 = 20$$

$$\Rightarrow \alpha = 20 - 12 = 8$$

$$\beta = 6 - \alpha = 6 - 8 = -2 \text{ [frames: 0]}$$

$$\therefore k = \alpha\beta = 8 \times -2 = -16 \text{ (c)}$$

$$5) f(x) = x^2 - px - p - c$$

$$a = 1, b = -p, c = -p - c$$

$$\alpha + \beta = -\frac{b}{a} = p$$

$$\alpha\beta = \frac{c}{a} = -p - c$$

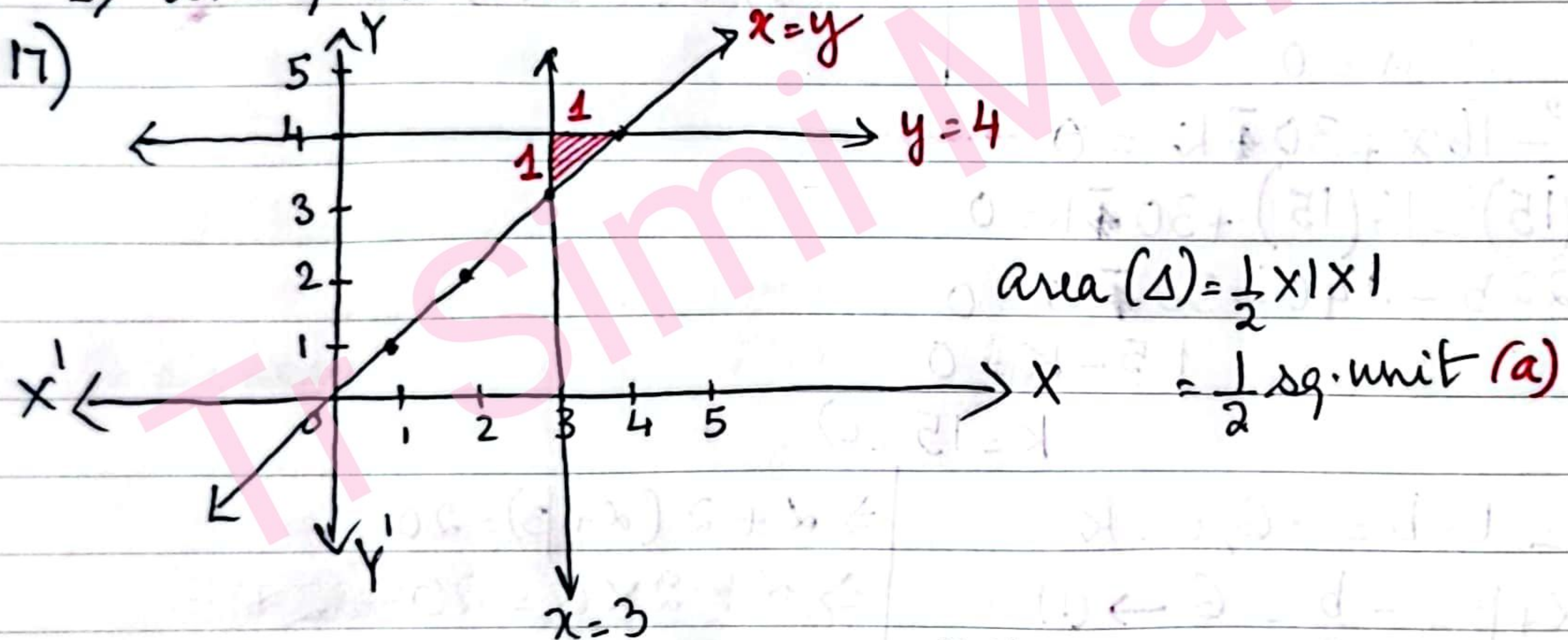
$$\therefore (\alpha+1)(\beta+1) = \alpha\beta + (\alpha+\beta) + 1$$

$$= -p - c + p + 1$$

$$= 1 - c \text{ (b)}$$

- 6) both -ve (b)
 7) more than 3 (d)
 8) has no linear term and constant term is -ve (a)
 9) 2 (b)
 10) 1 (b)
 11) 2520 (b)
 12) pq (d)
 13) 1 (a)
 14) a unique solution (a)
 15) no solution (d)
 16) $\frac{a}{l} \neq \frac{b}{m}$ (has unique solution)

$$\Rightarrow am \neq bl \text{ (a)}$$



$$18) 3^{x+y} = 243$$

$$\Rightarrow 3^{x+y} = 3^5$$

$$x+y = 5 \rightarrow (1)$$

$$(243)^{x-y} = 3$$

$$3^{5(x-y)} = 3$$

$$x-y = \frac{1}{5} \rightarrow (2)$$

$$\frac{a_1}{a_2} \neq \frac{b_1}{b_2}, \text{ no. of solutions} = 1 \text{ (b)}$$

$$19) \text{HCF}(m, n) = pq^2 \text{ (b)}$$

$$20) 81x + 81y = 1215$$

$$x+y = 15$$

$$(1, 14), (2, 13), (4, 11), (7, 8)$$

$$\text{no. of pairs} = 4 \text{ (c)}$$