

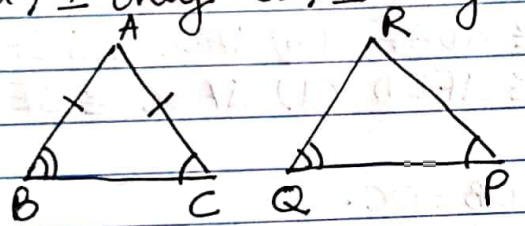
# IX Test - 11 (TRIANGLES)

- 1) Three statements are given below:
- I In a  $\triangle ABC$  in which  $AB = AC$ , the altitude  $AD$  bisects  $BC$ .
  - II If the altitudes  $AD, BE$  and  $CF$  of  $\triangle ABC$  are equal, then  $\triangle ABC$  is equilateral.
  - III If  $D$  is the mid-point of the hypotenuse  $AC$  of a right  $\triangle ABC$ , then  $BD = \frac{1}{2} AC$ .

Which is true?

- (a) I only (b) II only (c) I and II (d) II and III

2)



In  $\triangle ABC$  and  $\triangle PQR$ , it is given that  $AB = AC$ ,  $\angle C = \angle P$  and  $\angle B = \angle Q$ . Then, the two triangles are

- (a) isosceles but not congruent
- (b) isosceles and congruent
- (c) congruent but not isosceles
- (d) neither congruent nor isosceles.

3)

Which one is true?

- (a) a triangle can have two right angles
- (b) a triangle can have two obtuse angles
- (c) a triangle can have two acute angles
- (d) an exterior angle of a triangle is less than either of the interior opposite angles.

4)

In  $\triangle ABC$  and  $\triangle DEF$ , it is given that  $\angle B = \angle E$  and  $\angle C = \angle F$ . In order that  $\triangle ABC \cong \triangle DEF$ , we must have

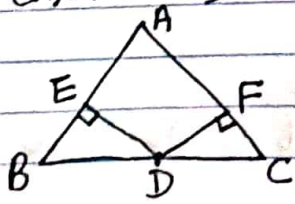
- (a)  $AB = DF$  (b)  $AC = DE$  (c)  $BC = EF$  (d)  $\angle A = \angle D$

5)

In  $\triangle ABC$  and  $\triangle DEF$ , it is given that  $AB = DE$  and  $BC = EF$ . In order that  $\triangle ABC \cong \triangle DEF$ , we must have

- (a)  $\angle A = \angle D$  (b)  $\angle B = \angle E$  (c)  $\angle C = \angle F$  (d) none of these.

6)



$D$  is the midpoint of  $BC$ ,  $DE \perp AB$  and  $DF \perp AC$  such that  $DE = DF$ . Then, which of the following is true?

- (a)  $AB = AC$  (b)  $AC = BC$  (c)  $AB = BC$  (d) none of these

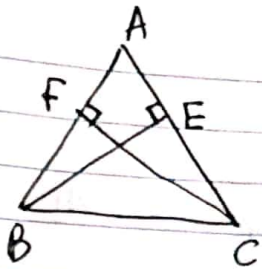
7)

If the altitudes from two vertices of a  $\triangle$  to the opposite sides are equal, then the triangle is

- (a) equilateral (b) isosceles (c) scalene (d) right-angled



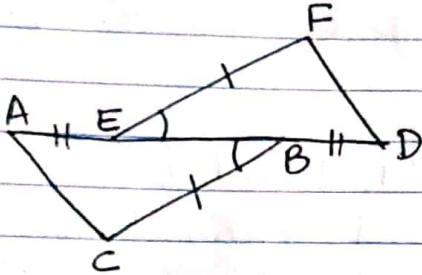
8)



$BE \perp CA$  and  $CF \perp BA$  such that  $BE = CF$ . Then, which of the following is true?

- (a)  $\triangle ABE \cong \triangle ACF$  (b)  $\triangle ABE \cong \triangle AFC$   
 (c)  $\triangle ABE \cong \triangle CAF$  (d)  $\triangle ABE \cong \triangle FAC$

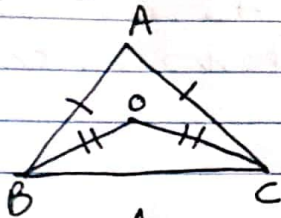
9)



$AE = DB$ ,  $CB = EF$  and  $\angle ABC = \angle FED$ .  
 Then which of the following is true?

- (a)  $\triangle ABC \cong \triangle DEF$  (b)  $\triangle ABC \cong \triangle EFD$   
 (c)  $\triangle ABC \cong \triangle FED$  (d)  $\triangle ABC \cong \triangle EDF$

10)

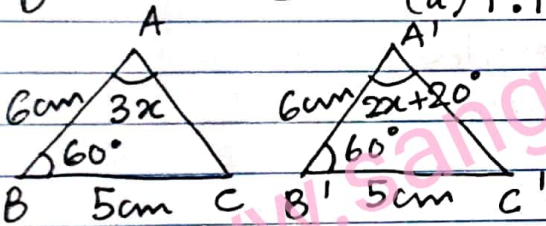


$AB = AC$  and  $OB = OC$ .

Then  $\angle ABO : \angle ACO = ?$

- (a) 1:1 (b) 2:1 (c) 1:2 (d) none of these

11)



$$\angle A = 3x; \angle A' = 2x + 20^\circ$$

$$\angle B = 60^\circ; \angle B' = 60^\circ$$

$$AB = A'B' = 6\text{cm}$$

Then  $\angle B'A'C' =$  (a)  $50^\circ$  (b)  $60^\circ$  (c)  $70^\circ$  (d)  $80^\circ$

12) If  $\triangle ABC \cong \triangle LKM$ , then side of  $\triangle LKM$  equal to side AC of  $\triangle ABC$  is

- (a) LK (b) KM (c) LM (d) none of these

13) In  $\triangle ABC$  and  $\triangle PQR$ , if  $\angle A = \angle R$ ,  $\angle B = \angle P$  and  $AB = RP$ , then which one of the following congruence conditions applies:

- (a) SAS (b) ASA (c) SSS (d) RHS

14) If  $\triangle PQR \cong \triangle EFD$ , then  $ED =$

- (a) PR (b) QR (c) PQ (d) none of these.

15) If  $\triangle PQR \cong \triangle EFD$ , then  $\angle E =$

- (a)  $\angle Q$  (b)  $\angle R$  (c)  $\angle P$  (d) none of these

16) In a  $\triangle ABC$ , if  $AB = AC$  and  $BC$  is produced to  $D$  such that  $\angle ACD = 100^\circ$ , then  $\angle A =$

- (a)  $40^\circ$  (b)  $80^\circ$  (c)  $20^\circ$  (d)  $60^\circ$

17) In an isosceles  $\triangle$ , if the vertex angle is twice the sum of the base angles, then the measure



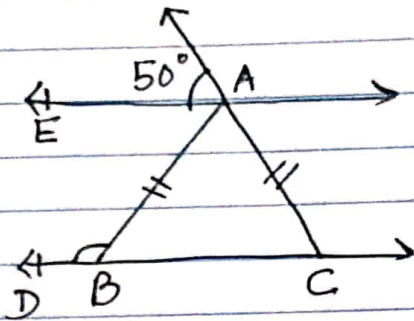
of vertex angle of the  $\Delta$  is

(a)  $100^\circ$  (b)  $120^\circ$  (c)  $110^\circ$  (d)  $130^\circ$

18) Which of the following is not a criterion for congruence of triangles?

(a) SAS (b) SSA (c) ASA (d) SSS

19)

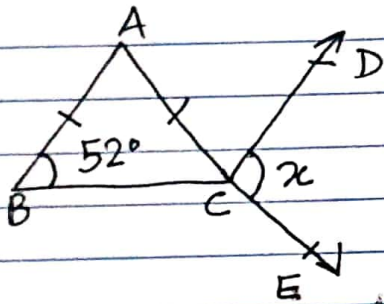


$AE \parallel DC, AB = AC.$

$\angle ABD =$

(a)  $130^\circ$  (b)  $110^\circ$  (c)  $120^\circ$  (d)  $70^\circ$

20)

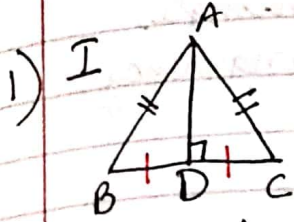


$\Delta ABC$  is an isosceles  $\Delta$   
whose side  $AC$  is produced  
to  $E$  and through  $C, CD \parallel AB,$   
find the value of  $x$

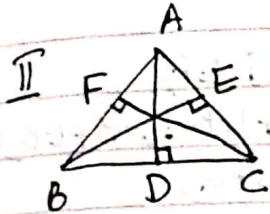
(a)  $52^\circ$  (b)  $156^\circ$  (c)  $76^\circ$  (d)  $104^\circ$

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# IX Test-II (TRIANGLES - MCQs - answers)



For an isosceles  $\triangle ABC$ , the altitude  $AD$  is the perpendicular bisector of  $BC$ .

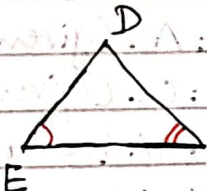
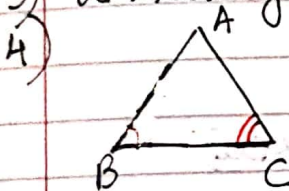


In an equilateral  $\triangle ABC$ , altitudes are equal in lengths. i.e.,  $AD = BE = CF$ .

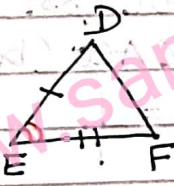
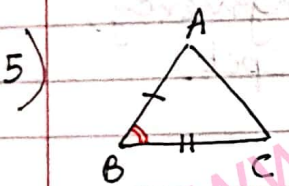
I and II (c)

2) isosceles but not congruent (a)

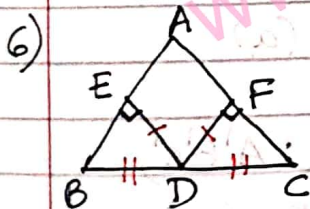
3) a triangle can have two acute angles (c)



$BC = EF$  (c)  
 $\triangle ABC \cong \triangle DEF$  (ASA congruency)



$\angle B = \angle C$  (b)  
 $\triangle ABC \cong \triangle DEF$  (SAS congruency)

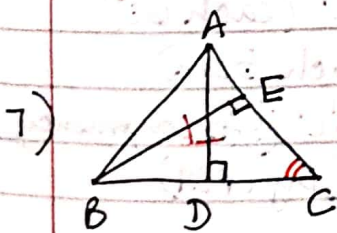


$\triangle DEB \cong \triangle DFC$  (RHS congruency)

Thus,  $\angle EBD = \angle FCD$  (by CPCT)

$\Rightarrow \angle B = \angle C$

$\Rightarrow AC = AB$  [sides opposite to equal (a) angles]



In  $\triangle ADC$  and  $\triangle BEC$ ,

$AD = BE$  (given)

$\angle ADC = \angle BEC$  (each  $90^\circ$ )

$\angle ACD = \angle BCE$  (common angle)

$\therefore \triangle ADC \cong \triangle BEC$  (AAS congruency)

Thus,  $AC = BC$  (by CPCT)

$\Rightarrow \triangle ABC$  is an isosceles  $\triangle$  (b)



In  $\triangle ABE$  and  $\triangle ACF$ ,

$BE = CF$  (given)

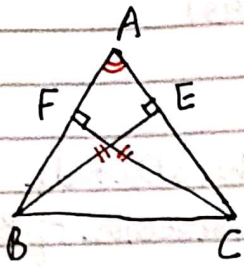
$\angle BEA = \angle CFA$  (each  $90^\circ$ )

$\angle BAE = \angle CAF$  (common angle)

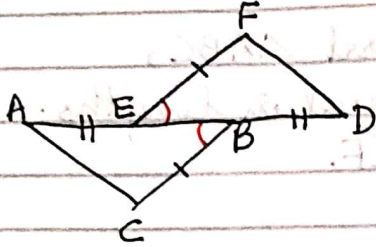
$\therefore \triangle ABE \cong \triangle ACF$  (AAS congruency)

(a)

8)



9)



In  $\triangle ABC$  and  $\triangle DEF$ ,

$AB = DE$  ( $AE + EB = DB + EB$ )

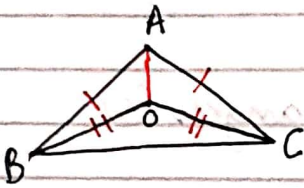
$\angle ABC = \angle DEF$  (given)

$BC = EF$  (given)

$\therefore \triangle ABC \cong \triangle DEF$  (SAS congruency)

(a)

10)



In  $\triangle AOB$  and  $\triangle AOC$ ,

$AB = AC$  (given)

$OB = OC$  (given)

$OA = OA$  (common side)

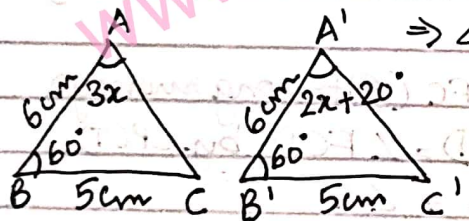
$\therefore \triangle AOB \cong \triangle AOC$  (SSS congruency)

Thus  $\angle ABO = \angle ACO$  (by CPCT)

$\Rightarrow \frac{\angle ABO}{\angle ACO} = \frac{1}{1}$

$\Rightarrow \angle ABO : \angle ACO = 1 : 1$  (a)

11)



In  $\triangle ABC$  and  $\triangle A'B'C'$ ,

$AB = A'B'$  (each 6 cm)

$\angle ABC = \angle A'B'C'$  (each  $60^\circ$ )

$BC = B'C'$  (each 5 cm)

$\therefore \triangle ABC \cong \triangle A'B'C'$  (SAS congruency)

Thus  $\angle BAC = \angle B'A'C'$  (by CPCT)

$\Rightarrow 3x = 2x + 20^\circ$

$\Rightarrow x = 20^\circ$

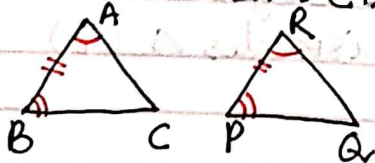
$\therefore \angle B'A'C' = 2x + 20^\circ = 40^\circ + 20^\circ = 60^\circ$  (b)

12)

$\triangle ABC \cong \triangle LKM$ , then

$AC = LM$  (by CPCT) (c)

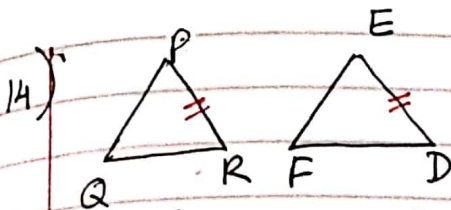
13)



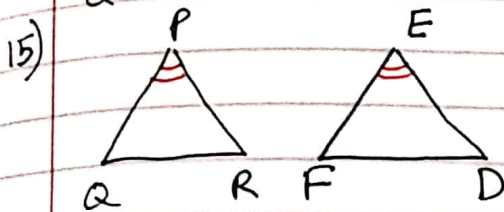
$\triangle ABC \cong \triangle RPQ$  (ASA congruency)

(b)

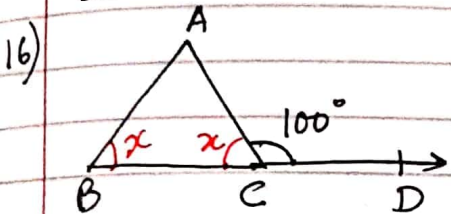




$\triangle PQR \cong \triangle EFD$ , then  
 $PR = ED$  (by CPCT) (a)

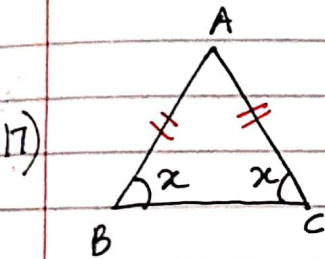


$\triangle PQR \cong \triangle EFD$ ,  
 then  $\angle P = \angle E$  (by CPCT) (c)



$$\begin{aligned} x &= 180^\circ - 100^\circ \text{ (linear pair)} \\ &= 80^\circ \end{aligned}$$

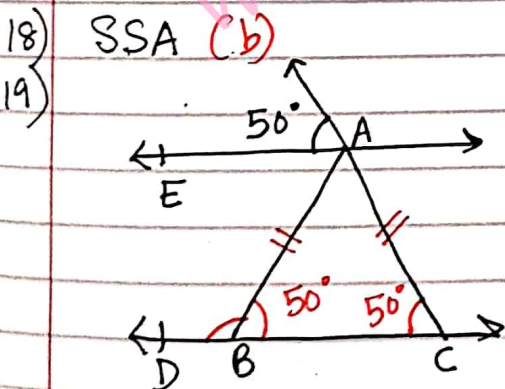
$$\begin{aligned} \angle A &= 180^\circ - (x + x) \text{ [angle sum property]} \\ &= 180^\circ - 2x \\ &= 180^\circ - 160^\circ \\ &= \underline{20^\circ} \text{ (c)} \end{aligned}$$



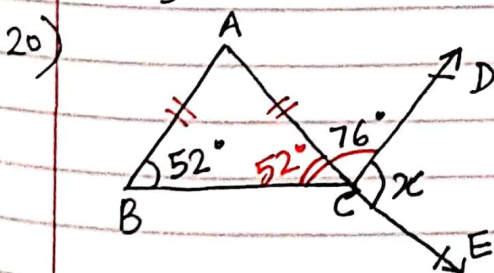
$$\angle A = 2(x + x) = 2 \times 2x = 4x$$

$$\begin{aligned} \text{Then, } 4x + x + x &= 180^\circ \text{ (angle sum property)} \\ \Rightarrow 6x &= 180^\circ \\ x &= 30^\circ \end{aligned}$$

$$\therefore \angle A = 4x = 4 \times 30^\circ = 120^\circ \text{ (b)}$$



$$\begin{aligned} \angle ACB &= 50^\circ \text{ (corresponding angles)} \\ \angle ACB &= \angle ABC = 50^\circ \text{ [}\because AB = AC\text{]} \\ \therefore \angle ABD &= 180^\circ - 50^\circ \text{ (linear pair)} \\ &= \underline{130^\circ} \text{ (a)} \end{aligned}$$



$$\begin{aligned} \text{Since } AB \parallel DC, \angle ABC + \angle DCB &= 180^\circ \\ \text{(co-interior angles)} \\ \Rightarrow \angle DCB &= 180^\circ - 52^\circ = 128^\circ \\ \angle ACD &= 128^\circ - 52^\circ = 76^\circ \\ x + 76^\circ &= 180^\circ \text{ (linear pair)} \\ x &= 180^\circ - 76^\circ \\ &= \underline{104^\circ} \text{ (d)} \end{aligned}$$